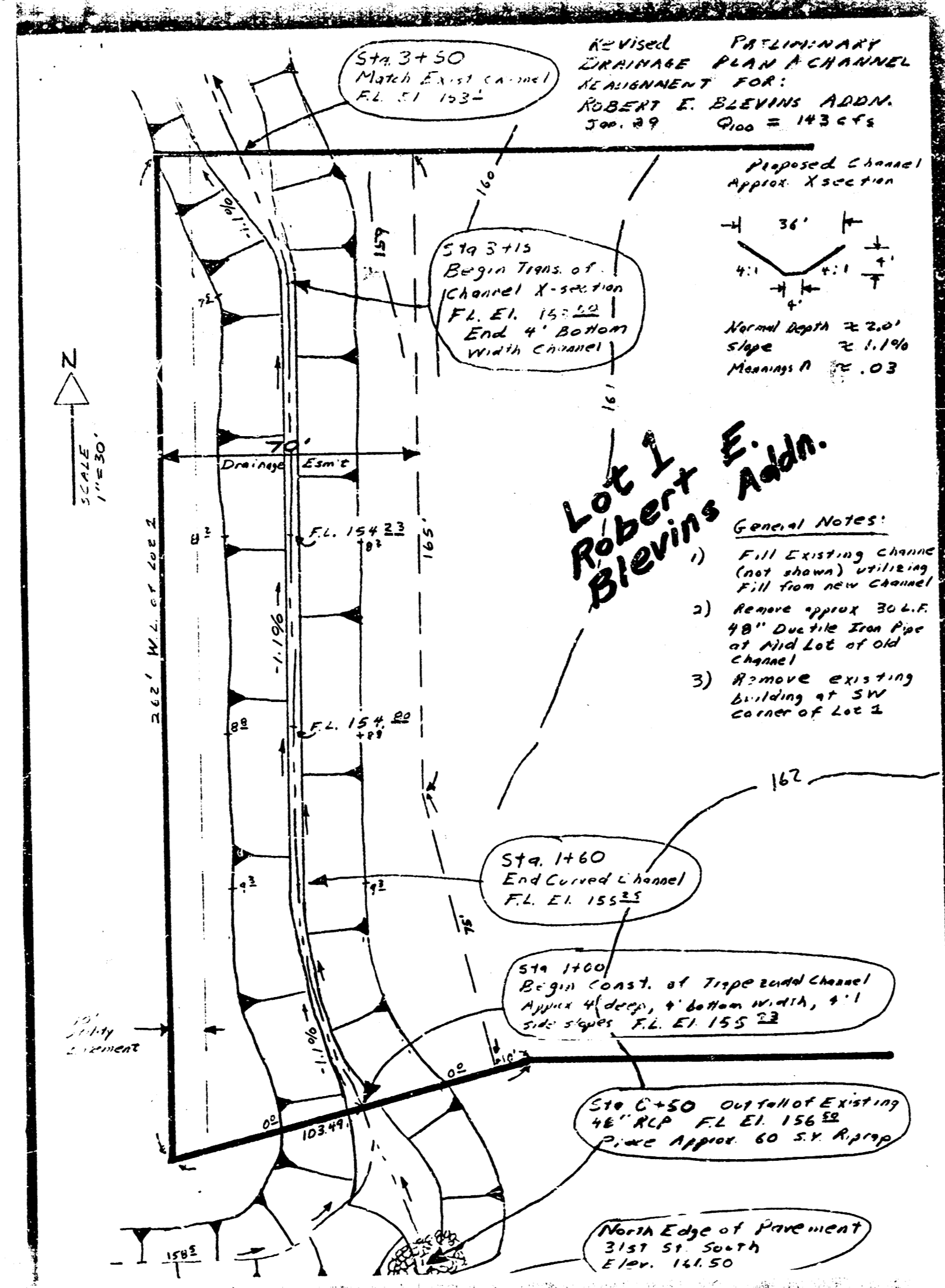


Revised Preliminary Drainage Plan and Channel Realignment for: Robert E. Blevins Addn. to Wichita, Sedgwick County, Kansas

Prepared For: The City of Wichita -- Owner
Lowell D. High -- Platting Surveyor

Prepared By: Robert A. Harrington, P.E.
January, 1989



Revised Preliminary Drainage Plan -- January 1989

Proposed Channel Realignment -- Robert E. Blevins Addition From Sta. 0+50 to Sta. 0+59 (Approx. N.L. of Addn.)

The proposed channel is a grass lined trapezoid with a 4' bottom width and 4:1 side slopes. The approximate channel depth is 4', which means the allowable maximum depth of flow is 3' if we want to have 1' of freeboard.

Open Channel Flow Calculations ----- DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d, and the velocity v
Given discharge Q, base width b, side slope z, roughness n, slope s

$$Q = (1.486/n) \times A \times R^{2/3} \times S^{1/2}$$

Enter the ditch flow slope: $s = .011$
Enter the base width in feet: $b = 4$
Enter the side slope ratio horizontal/vertical: $z = 4$
Enter the value of the roughness coefficient: $n = .03$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) = \frac{Q}{(b + z \cdot d) \cdot d}$
 $A(d) = (b + z \cdot d) \cdot d$
 $P(d) = b + 2 \cdot d \cdot \sqrt{1 + z^2}$
 $R(d) = \frac{A(d)}{P(d)}$

Proposed Channel Realignment -- Robert E. Blevins Addition From Sta. 0+50 to Sta. 3+50 (Approx. N.L. of Addn.)

We will now find the normal depth of flow "d" and the average flow velocity "v"

$$K \cdot (d) = \frac{1.486}{n} A(d) R(d) S^{1/2}$$

Guess $d = 1$

Given
 $Q = K \cdot (d)$
 $d = \text{find}(d)$
 $n = .03$
 $d = 2.0285$ feet *OK* Leaves approx. 2 feet of freeboard

$A(d) = 24.57332$ square feet $P(d) = 20.72747$ linear feet
 $R(d) = 1.18854$ feet $v(d) = 5.81932$ feet per second *OK* Velocity is permissible

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n

$$R(d) \cdot v(d) = \frac{(b + z \cdot d) \cdot d}{Q} \cdot R(d) \cdot v(d) \quad VR = 6.39906$$

For Petition Purposes Only, use an estimated construction cost of:
\$13,500.00
Use 34,000

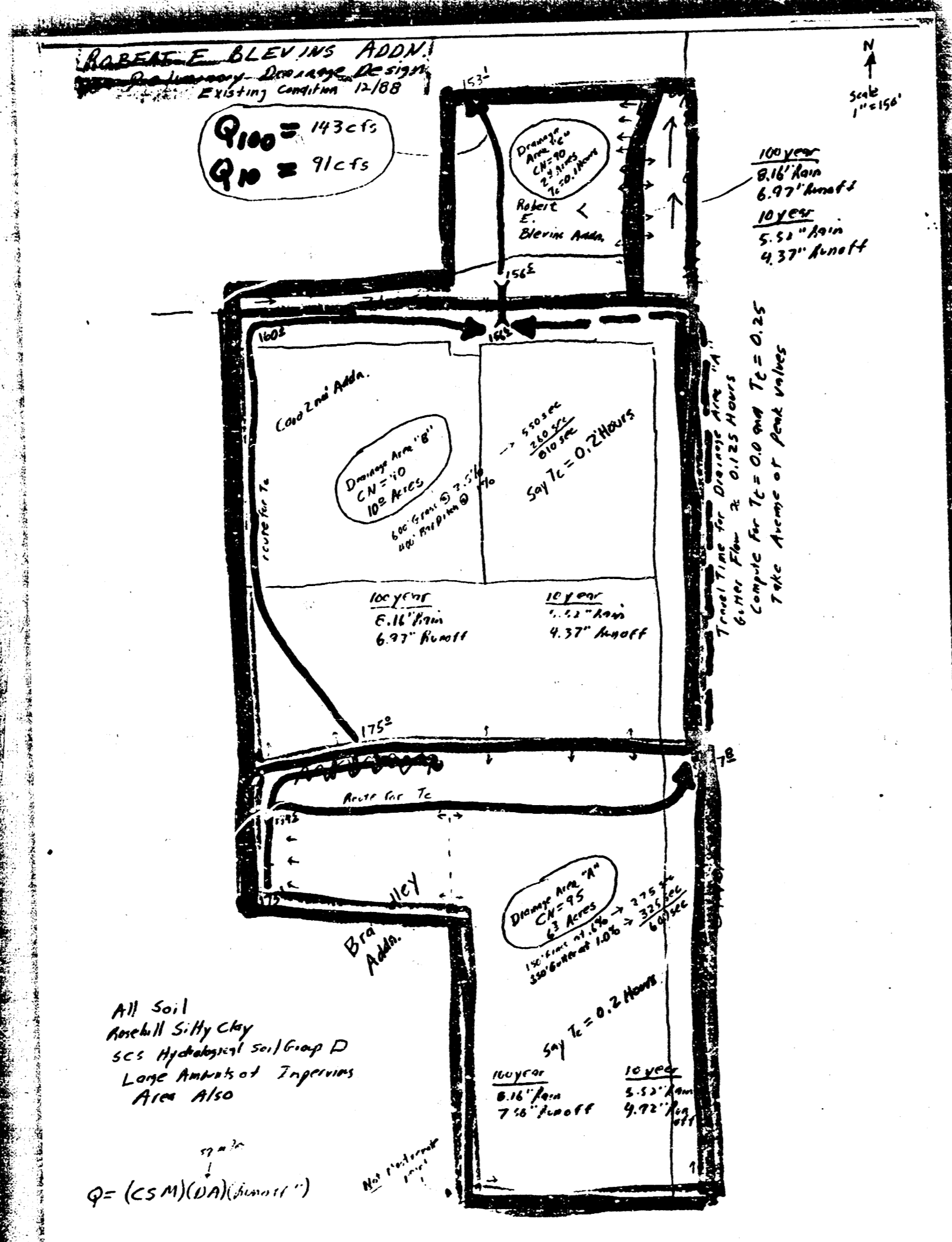
Preliminary Drainage Plan for: Robert E. Blevins Addn. to Wichita, Sedgwick County, Kansas

Prepared For: The City of Wichita -- Owner
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Prepared By: Robert A. Harrington, P.E.
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Preliminary Drainage Plan for: Robert E. Blevins Addn. to Wichita, Sedgwick County, Kansas

Condition of the Existing Drainage in Blevins Addition



Robert E. Blevins Addition -- Preliminary Drainage Calculations
December, 1988 100 year storm

Calculation $Q_{100} = 143 \text{ cfs}$
 $Q_{10} = 71 \text{ cfs}$

Area A: Area = 6.3 Acres Runoff = 7.56 inches
Tabular Discharges for Type II Storm Distribution (cfs/in)
Time of Concentration 0.20 Hours

11	0	11	5	11	7	11	0	11	9	12	0	11	2	12	3	12	4	12	5	12	6	12	7	12	8	12	9	13	0	13	2	13	3	13	4	13	5	13	6	13	7	13	8	13	9	14	0	14	1	14	2	14	3	14	4	14	5	14	6	14	7	14	8	14	9	15	0	15	1	15	2	15	3	15	4	15	5	15	6	15	7	15	8	15	9	16	0	16	1	16	2	16	3	16	4	16	5	16	6	16	7	16	8	16	9	17	0	17	1	17	2	17	3	17	4	17	5	17	6	17	7	17	8	17	9	18	0	18	1	18	2	18	3	18	4	18	5	18	6	18	7	18	8	18	9	19	0	19	1	19	2	19	3	19	4	19	5	19	6	19	7	19	8	19	9	20	0	20	1	20	2	20	3	20	4	20	5	20	6	20	7	20	8	20	9	21	0	21	1	21	2	21	3	21	4	21	5	21	6	21	7	21	8	21	9	22	0	22	1	22	2	22	3	22	4	22	5	22	6	22	7	22	8	22	9	23	0	23	1	23	2	23	3	23	4	23	5	23	6	23	7	23	8	23	9	24	0	24	1	24	2	24	3	24	4	24	5	24	6	24	7	24	8	24	9	25	0	25	1	25	2	25	3	25	4	25	5	25	6	25	7	25	8	25	9	26	0	26	1	26	2	26	3	26	4	26	5	26	6	26	7	26	8	26	9	27	0	27	1	27	2	27	3	27	4	27	5	27	6	27	7	27	8	27	9	28	0	28	1	28	2	28	3	28	4	28	5	28	6	28	7	28	8	28	9	29	0	29	1	29	2	29	3	29	4	29	5	29	6	29	7	29	8	29	9	30	0	30	1	30	2	30	3	30	4	30	5	30	6	30	7	30	8	30	9	31	0	31	1	31	2	31	3	31	4	31	5	31	6	31	7	31	8	31	9	32	0	32	1	32	2	32	3	32	4	32	5	32	6	32	7	32	8	32	9	33	0	33	1	33	2	33	3	33	4	33	5	33	6	33	7	33	8	33	9	34	0	34	1	34	2	34	3	34	4	34	5	34	6	34	7	34	8	34	9	35	0	35	1	35	2	35	3	35	4	35	5	35	6	35	7	35	8	35	9	36	0	36	1	36	2	36	3	36	4	36	5	36	6	36	7	36	8	36	9	37	0	37	1	37	2	37	3	37	4	37	5	37	6	37	7	37	8	37	9	38	0	38	1	38	2	38	3	38	4	38	5	38	6	38	7	38	8	38	9	39	0	39	1	39	2	39	3	39	4	39	5	39	6	39	7	39	8	39	9	40	0	40	1	40	2	40	3	40	4	40	5	40	6	40	7	40	8	40	9	41	0	41	1	41	2	41	3	41	4	41	5	41	6	41	7	41	8	41	9	42	0	42	1	42	2	42	3	42	4	42	5	42	6	42	7	42	8	42	9	43	0	43	1	43	2	43	3	43	4	43	5	43	6	43	7	43	8	43	9	44	0	44	1	44	2	44	3	44	4	44	5	44	6	44	7	44	8	44	9	45	0	45	1	45	2	45	3	45	4	45	5	45	6	45	7	45	8	45	9	46	0	46	1	46	2	46	3	46	4	46	5	46	6	46	7	46	8	46	9	47	0	47	1	47	2	47	3	47	4	47	5	47	6	47	7	47	8	47	9	48	0	48	1	48	2	48	3	48	4	48	5	48	6	48	7	48	8	48	9	49	0	49	1	49	2	49	3	49	4	49	5	49	6	49	7	49	8	49	9	50	0	50	1	50	2	50	3	50	4	50	5	50	6	50	7	50	8	50	9	51	0	51	1	51	2	51	3	51	4	51	5	51	6	51	7	51	8	51	9	52	0	52	1	52	2	52	3	52	4	52	5	52	6	52	7	52	8	52	9	53	0	53	1	53	2	53	3	53	4	53	5	53	6	53	7	53	8	53	9	54	0	54	1	54	2	54	3	54	4	54	5	54	6	54	7	54	8	54	9	55	0	55	1	55	2	55	3	55	4	55	5	55	6	55	7	55	8	55	9	56	0	56	1	56	2	56	3	56	4	56	5	56	6	56	7	56	8	56	9	57	0	57	1	57	2	57	3	57	4	57	5	57	6	57	7	57	8	57	9	58	0	58	1	58	2	58	3	58	4	58	5	58	6	58	7	58	8	58	9	59	0	59	1	59	2	59	3	59	4	59	5	59	6	59	7	59	8	59	9	60	0	60	1	60	2	60	3	60	4	60	5	60	6	60	7	60	8	60	9	61	0	61	1	61	2	61	3	61	4	61	5	61	6	61	7	61	8	61	9	62	0	62	1	62	2	62	3	62	4	62	5	62	6	62	7	62	8	62	9	63	0	63	1	63	2	63	3	63	4	63	5	63	6	63	7	63	8	63	9	64	0	64	1	64	2	64	3	64	4	64	5	64	6	64	7	64	8	64	9	65	0	65	1	65	2	65	3	65	4	65	5	65	6	65	7	65	8	65	9	66	0	66	1	66	2	66	3	66	4	66	5	66	6	66	7	66	8	66	9	67	0	67	1	67	2	67	3	67	4	67	5	67	6	67	7	67	8	67	9	68	0	68	1	68	2	68	3	68	4	68	5	68	6	68	7	68	8	68	9	69	0	69	1	69	2	69	3	69	4	69	5	69	6	69	7	69	8	69	9	70	0	70	1	70	2	70	3	70	4	70	5	70	6	70	7	70	8	70	9	71	0	71	1	71	2	71	3	71	4	71	5	71	6	71	7	71	8	71	9	72	0	72	1	72	2	72	3	72	4	72	5	72	6	72	7	72	8	72	9	73	0	73	1	73	2	73	3	73	4	73	5	73	6	73	7	73	8	73	9	74	0	74	1	74	2	74	3	74	4	74	5	74	6	74	7	74	8	74	9	75	0	75	1	75	2	75	3	75	4	75	5	75	6	75	7	75	8	75	9	76	0	76	1	76	2	76	3	76	4	76	5	76	6	76	7	76	8	76	9	77	0	77	1	77	2	77	3	77	4	77	5	77	6	77	7	77	8	77	9	78	0	78	1	78	2	78	3	78	4	78	5	78	6	78	7	78	8	78	9	79	0	79	1	79	2	79	3	79	4	79	5	79	6	79	7	79	8	79	9	80	0	80	1	80	2	80	3	80	4	80	5	80	6	80	7	80	8	80	9	81	0	81	1	81	2	81	3	81	4	81	5	81	6	81	7	81	8	81	9	82	0	82	1	82	2	82	3	82	4	82	5	82	6	82	7	82	8	82	9	83	0	83	1	83	2	83	3	83	4	83	5	83	6	83	7	83	8	83	9	84	0	84	1	84	2	84	3	84	4	84	5	84	6	84	7	84	8	84	9	85	0	85	1	85	2	85	3	85	4	85	5	85	6	85	7	85	8	85	9	86	0	86	1	86	2	86	3	86	4	86	5	86	6	86	7	86	8	86	9	87	0	87	1	87	2	87	3	87	4	87	5	87	6	87	7	87	8	87	9	88	0	88	1	88	2	88	3	88	4	88	5	88	6	88	7	88	8	88	9	89	0	89	1	89	2	89	3	89	4	89	5	89	6	89	7	89	8	89	9	90	0	90	1	90	2	90	3	90	4	90	5	90	6	90	7	90	8	90	9	91	0	91	1	91	2	91	3	91	4	91	5	91	6	91	7	91	8	91	9	92	0	92	1	92	2	92	3	92	4	92	5	92	6	92	7	92	8	92	9	93	0	93	1	93	2	93	3	93	4	93	5	9
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Open Channel Flow Calculations DEPTH 5th 2100 - 3+00

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .005$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 2$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 1.983$ feet ← Leaves 2' of freeboard plenty adequate

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 4.662$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

Open Channel Flow Calculations DEPTH 5th 2100 - 3+00

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .018$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 2$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 1.374$ feet ← Leaves 2.6' of freeboard plenty adequate

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.219$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$

Open Channel Flow Calculations DEPTH 5th 3100 - 3+50

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 8$
Enter the side slope ratio horizontal/vertical: $z = 3$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 2$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 4.441$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.219$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$

Proposed section is a trapezoid with 20' bottom width, 3:1 side slope, approximate channel depth is 4' (leaves maximum flow depth is 2' of freeboard)

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 8$
Enter the side slope ratio horizontal/vertical: $z = 3$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 2$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 4.441$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.219$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 8$
Enter the side slope ratio horizontal/vertical: $z = 3$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
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We will now find the normal depth of flow: d and the average flow velocity: v
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 $d := \text{find}(d)$
 $d = 4.441$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.219$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
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Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the average flow velocity: v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 1$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 2.25746$ feet ← Leaves approx. 1.7 feet of freeboard

$A(d) = 34.21455$ square feet $P(d) = 22.53638$ linear feet
 $R(d) = 1.5186$ feet $v(d) = 4.17951$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 6.34698$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the average flow velocity: v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 1$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 2.25746$ feet ← Leaves approx. 1.7 feet of freeboard

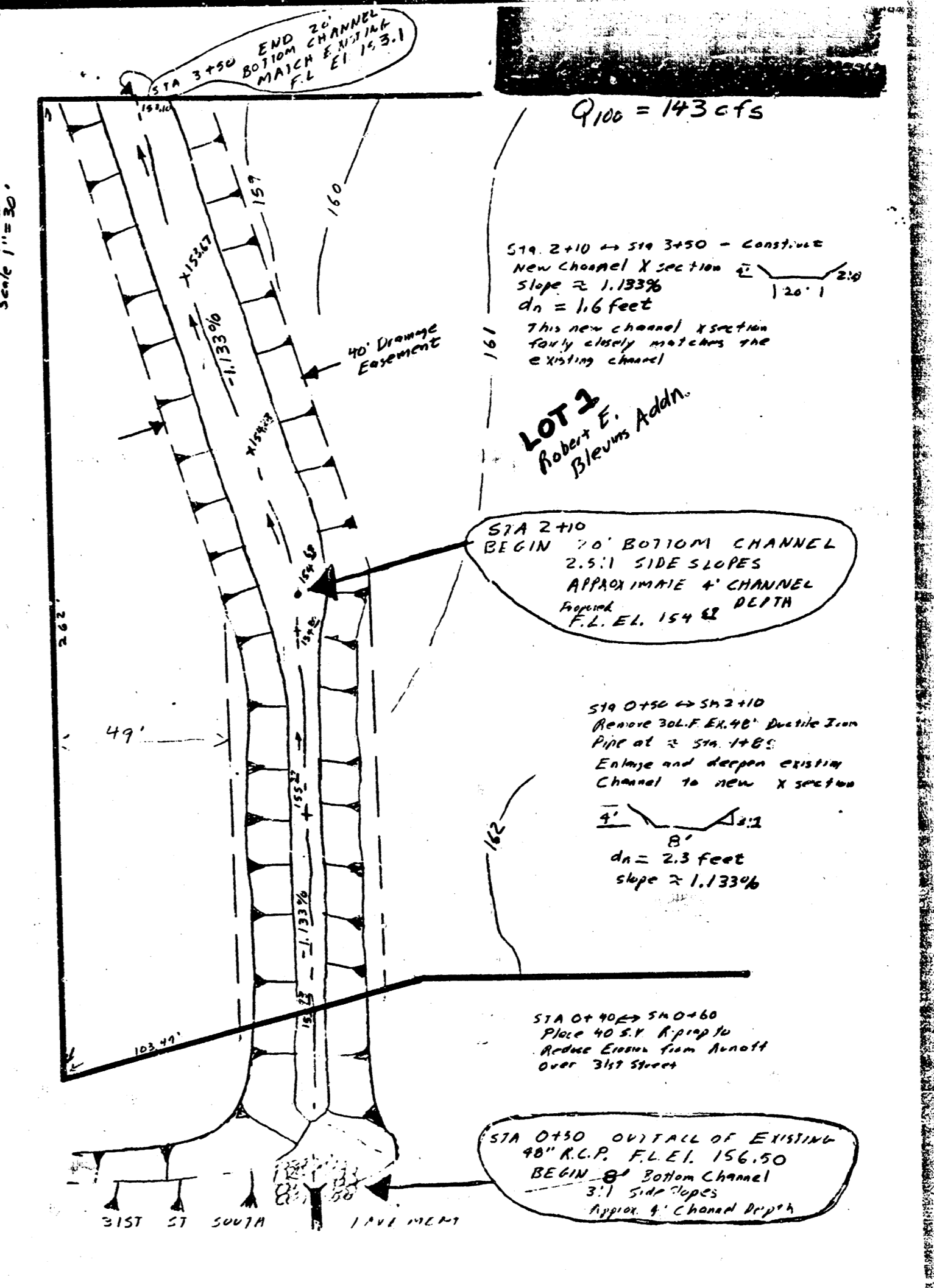
$A(d) = 34.21455$ square feet $P(d) = 22.53638$ linear feet
 $R(d) = 1.5186$ feet $v(d) = 4.17951$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 6.34698$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

Preliminary Drainage Plan for Robert E. Blavins Addn. to Wichita, Sedgwick County, Kansas

Proposed Drainage Plan Blavins Addition



To find minimum specific energy, solve the following:
Guess $d := d$
Given n

$A(d) := \frac{3}{2} \cdot d^2$
 $T(d) := 32.2$
 $d := \text{find}(d)$ $d = 1.72152$

Note that the normal depth is greater than the critical depth. However, this should not cause much of a problem, since there are (after removing the existing mid Addn. 48" pipe) no significant flow obstructions, the velocity is within allowable limits for a grass lined channel on clay soil, and the flow is only intermittent.

Proposed section closely matches the existing channel and is a trapezoid with 20' bottom width and 2.5:1 side slopes. The approximate channel depth is 4', which means the allowable maximum depth of flow is 2' if we want to have 1' of freeboard.

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 1$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 1.57805$ feet ← Leaves approx. 2.4 feet of freeboard

$A(d) = 37.56354$ square feet $P(d) = 28.45496$ linear feet
 $R(d) = 1.32811$ feet $v(d) = 3.80688$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.02549$

Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 1$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 1.57805$ feet ← Leaves approx. 2.4 feet of freeboard

$A(d) = 37.56354$ square feet $P(d) = 28.45496$ linear feet
 $R(d) = 1.32811$ feet $v(d) = 3.80688$ feet per second

Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
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Now compute the critical depth for this channel and discharge:
Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

To find minimum specific energy, solve the following:
Guess $d := d$
Given n

$A(d) := \frac{3}{2} \cdot d^2$
 $T(d) := 32.2$
 $d := \text{find}(d)$ $d = 1.11151$

Note that the normal depth is greater than the critical depth. However, this should not cause much of a problem, since there are (after removing the existing mid Addn. 48" pipe) no significant flow obstructions, the velocity is within allowable limits for a grass lined channel on clay soil, and the flow is only intermittent.

Cost Estimate (for Preliminary Purpose Only) for Drainage Improvements in Robert E. Blavins Addition

Quantity	Units	Item	Cost/Unit	Total
200	cu yd	Excavation	2.50	500.00
150	cu yd	Compacted Fill	2.50	375.00
40	cu yd	Gravel	25.00	1000.00
8.20	Acres	Grass Seeding, Mulch	1200.00	9960.00
		Etch		
1.00	l.f.	Excuse 20' L.F. 48"	500.00	500.00
1.00	l.f.	Outlet Iron Pipe		
		Clear/Trim Drain, Curb, Storm Trash, Debris, Etc.		
		Subtotal		62,475.00
		Prelim Contingency		271.25
		Engineering		298.00
		Administration		43.50
		Publication		5200.00
				62,387.75

So, say for prelieum purposes only, call it \$65,000.00

Open Channel Flow Calculations DEPTH

Manning Equation - Trapezoidal Channels
Finding the normal depth of flow d , and the velocity v
Given discharge Q , base width b , side slope z , roughness n , slope s

$Q = (1.486/n) \times A \times R^{2/3} \times s^{1/2}$

Enter the ditch flow slope: $s = .01133$
Enter the base width in feet: $b = 20$
Enter the side slope ratio horizontal/vertical: $z = 2.5$
Enter the value of the roughness coefficient: $n = .05$
Enter the discharge flow rate in cfs: $Q = 143$

The formula for velocity of flow is:
 $v(d) := \frac{Q}{(b+z \cdot d) \cdot d}$

We will now find the normal depth of flow: d and the average flow velocity: v
Guess $d := 1$
Given

$K \cdot (d) := \frac{n \cdot Q}{1.486 \cdot \sqrt{s}}$
 $d := \text{find}(d)$
 $d = 1.57805$ feet ← Leaves approx. 2.4 feet of freeboard

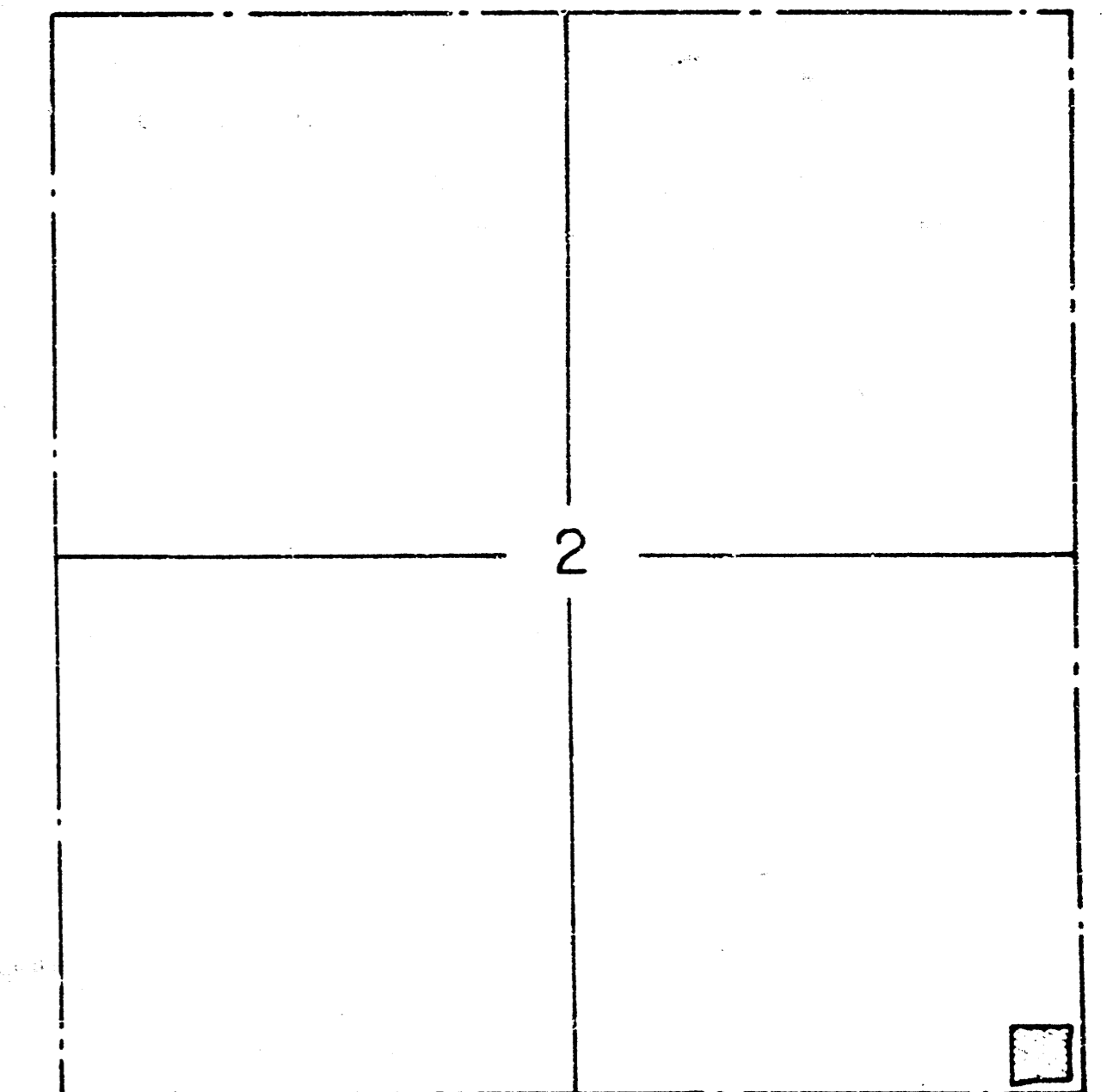
$A(d) = 37.56354$ square feet $P(d) = 28.45496$ linear feet
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Now compute the product of velocity and hydraulic radius -- this is mainly of use for grassy channels as a check on the appropriate Mannings n
 $R(d) := \frac{(b+z \cdot d) \cdot d}{b + 2 \cdot d \cdot \sqrt{1+z^2}}$ $VR := v(d) \cdot R(d)$ $VR = 5.02549$

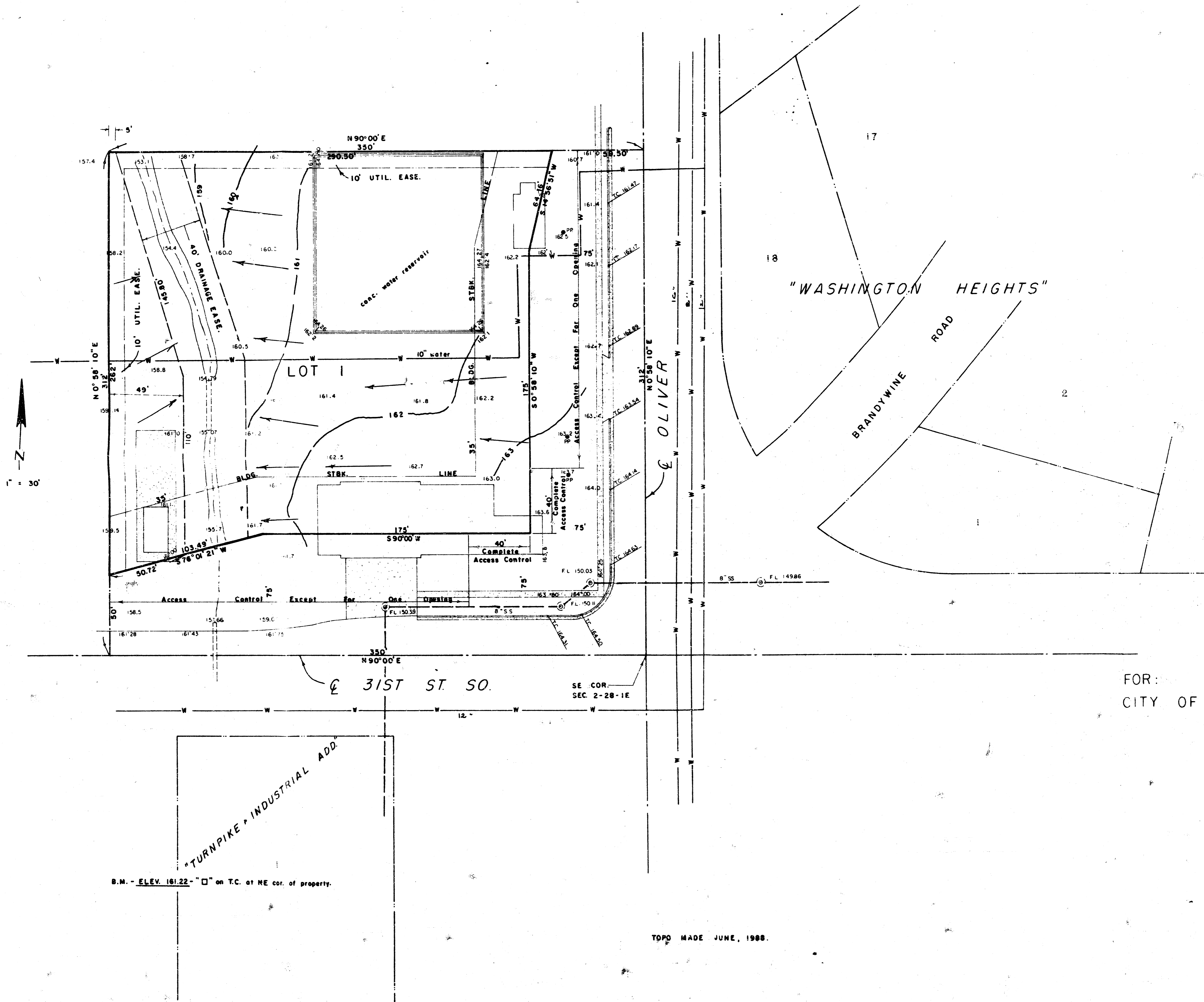
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Top width $T(d)$ is defined as follows:
 $T(d) := b + 2 \cdot d \cdot z$
Cross sectional area of a trapezoidal channel is defined as follows:
 $A(d) := (b + z \cdot d) \cdot d$

Robert E. Blevins

SKETCH PLAT
ROBERT E. BLEVINS ADDITION,
WICHITA, SEDGWICK COUNTY, KANSAS



VICINITY MAP
1" = 1000'



"WASHINGTON HEIGHTS"

BRANDYWINE ROAD

DRAINAGE PLAN

GRADE LOT TO DRAIN TO DRAINAGE DITCH BY METHOD APPROVED BY THE CITY OF WICHITA.
DRAIN LOT AS SHOWN BY ARROWS.

FOR:
CITY OF WICHITA

"TURNPIKE INDUSTRIAL ADD.

B.M. - ELEV. 161.22 - "□" on T.C. at NE cor. of property.

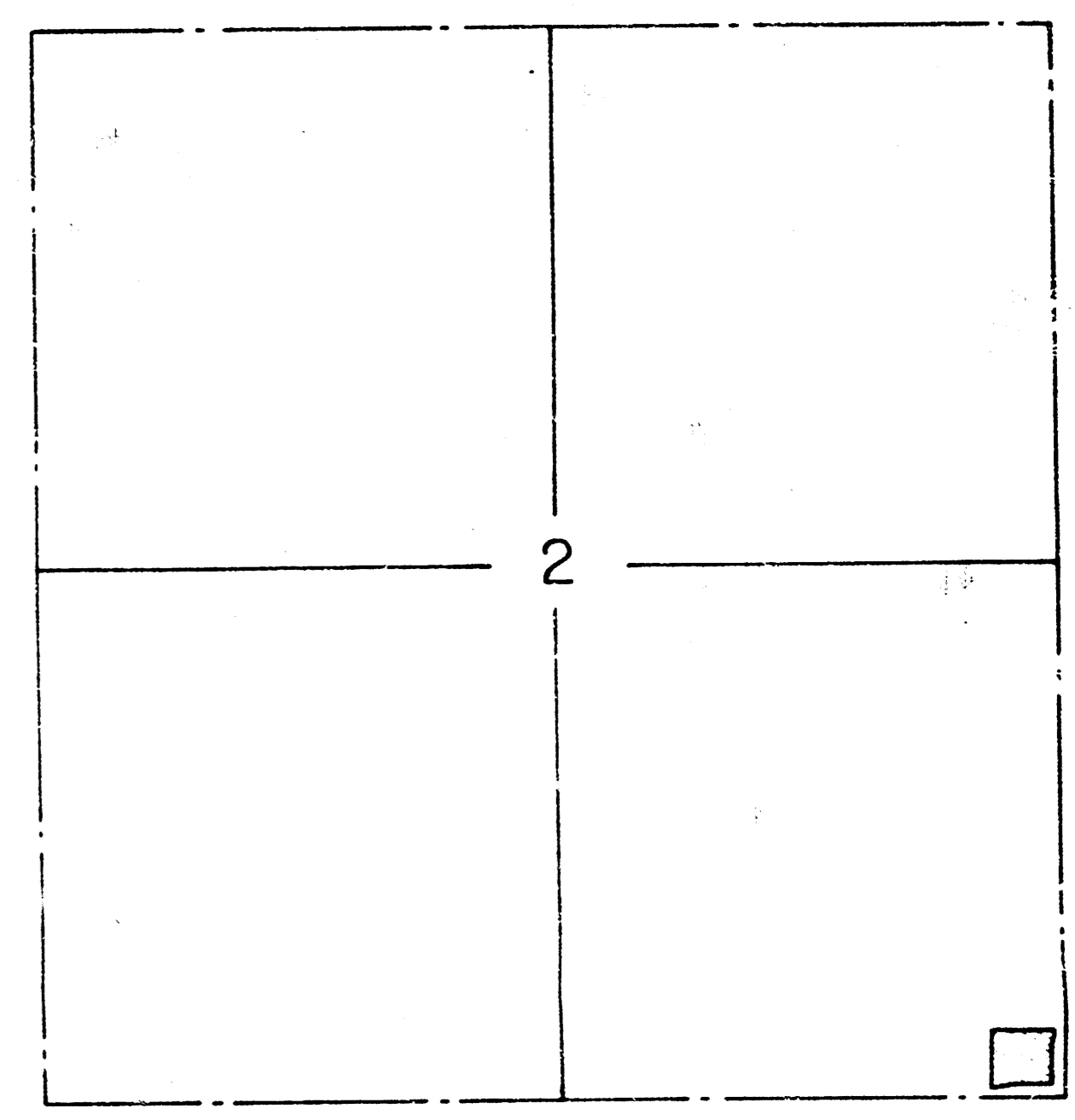
TOPO MADE JUNE, 1988.

LOWELL D. HIGH, L.S.
1542 S. ST. FRANCIS
WICHITA, KS 67211

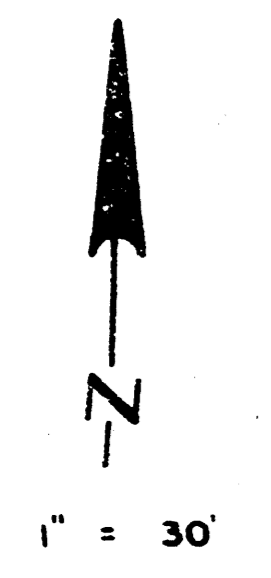
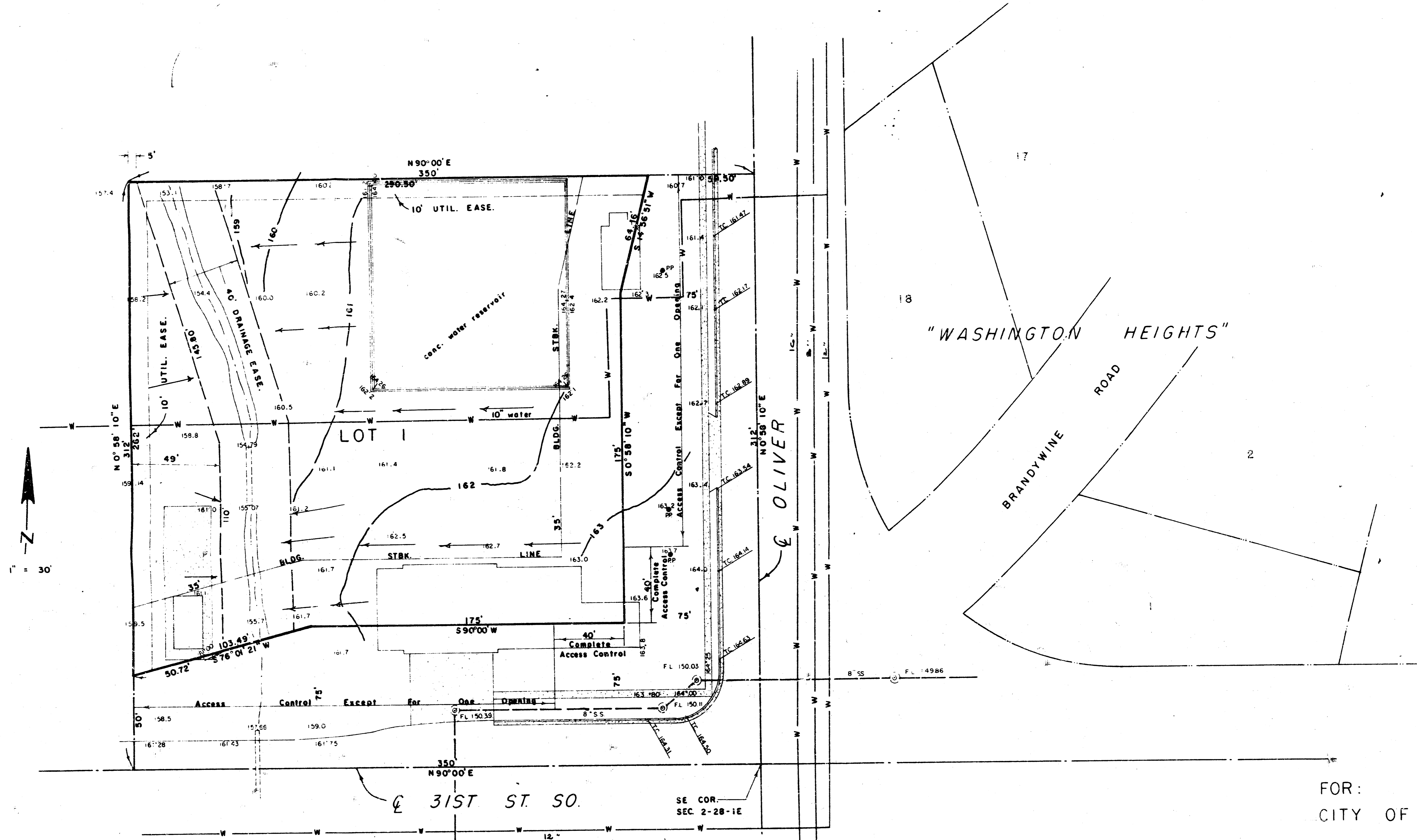
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Robert E. Blevins

SKETCH PLAT ROBERT E. BLEVINS ADDITION, WICHITA, SEDGWICK COUNTY, KANSAS



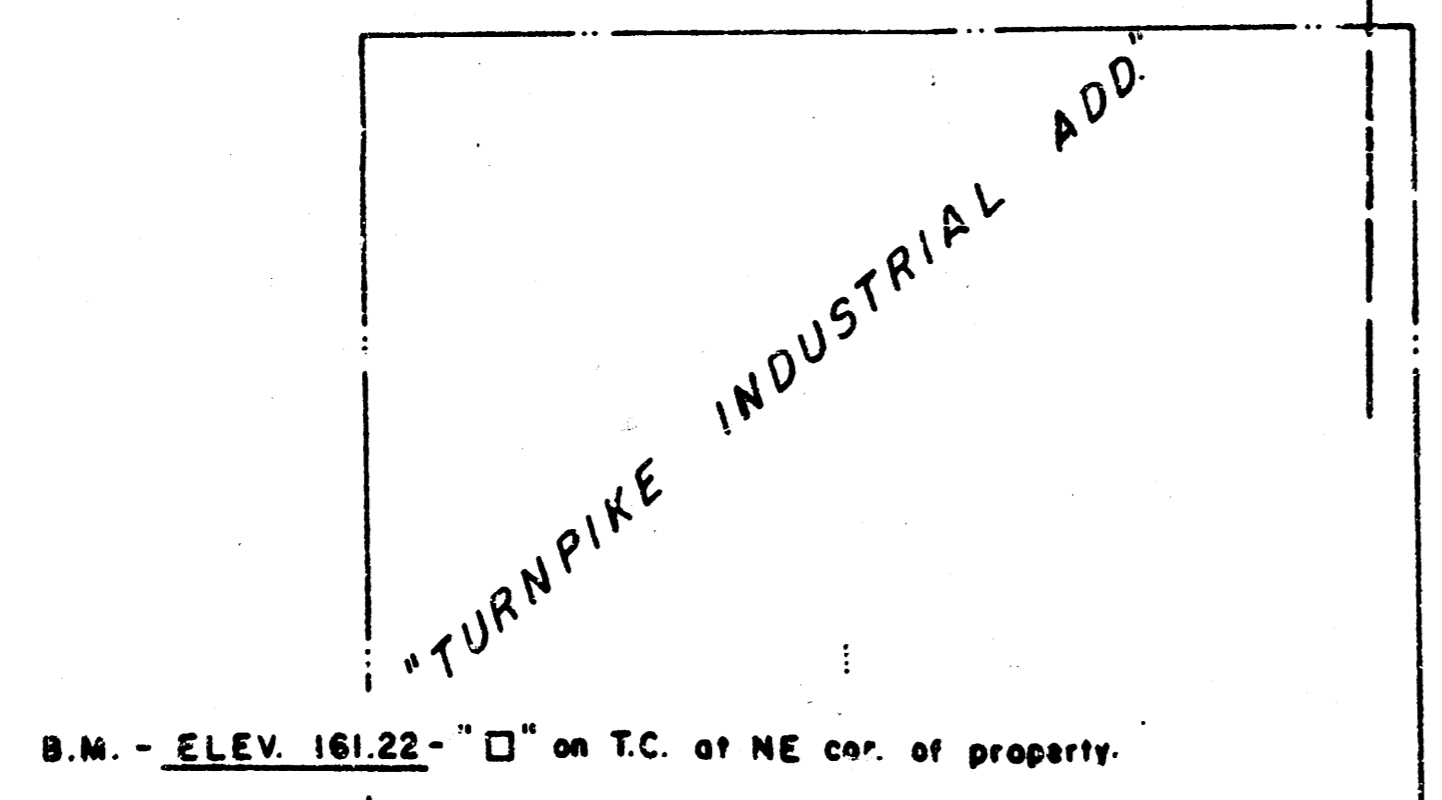
VICINITY MAP
1" = 1000'



GRADE PLAN

GRADE LOT TO DRAIN
TO DRAINAGE EASEMENT.

FOR:
CITY OF WICHITA



TOPO MADE JUNE, 1988.

LOWELL D. HIGH, L.
1542 S. ST. FRANCIS
WICHITA, KS 67211

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